## MAT 313, Category Theory

Homework 4, Due Mon, Nov 23
To attempt: All exercises in van Oosten 5.1
To turn in: chap $4 \# 80$, chap $5 \# 92,96,101$, and the following:
Let $F, F^{\prime}$ be functors from $\mathcal{C}$ to $\mathcal{D}$, and let $G, G^{\prime}$ be functors from $\mathcal{D}$ to $\mathcal{E}$. Let $\alpha$ be a natural transformation from $F$ to $F^{\prime}$, and let $\beta$ be a natural transformation from $G$ to $G^{\prime}$. Show that $\left((\beta * \alpha)_{C}: C \in \mathcal{C}_{0}\right)$ is a natural transformation, where

$$
(\beta * \alpha)_{C}=\beta_{F^{\prime} C} \circ G\left(\alpha_{C}\right)
$$

